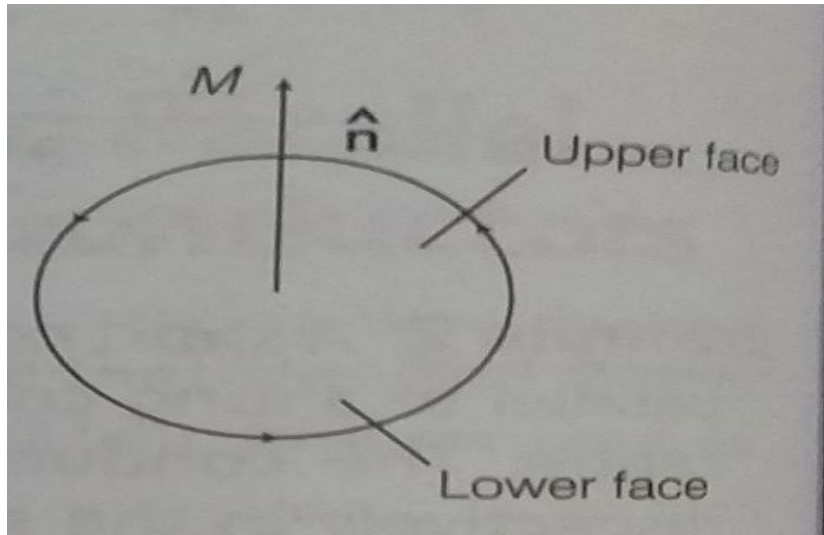


Circular current loop as a magnetic dipole: A current loop behaves as a magnetic dipole. If we look at the upper face, current is anticlockwise so it has north polarity

And the lower face, current is clockwise. So it has south polarity. Its mean current loop behaves as a system of two equal and opposite magnetic poles hence it behaves like magnetic dipole.



Magnetic dipole moment of loop $M = NIA$

The magnitude of magnetic field on the axis of a circular loop of radius R carrying a current I is given by

$$B = \mu_0 I R^2 / 2(x^2 + R^2)$$

$x \gg R$

$$B = \mu_0 I R^2 / 2x^3$$

As $A = \pi R^2$

So $R^2 = A / \pi$

$$B = \mu_0 I A / 2\pi x^3$$

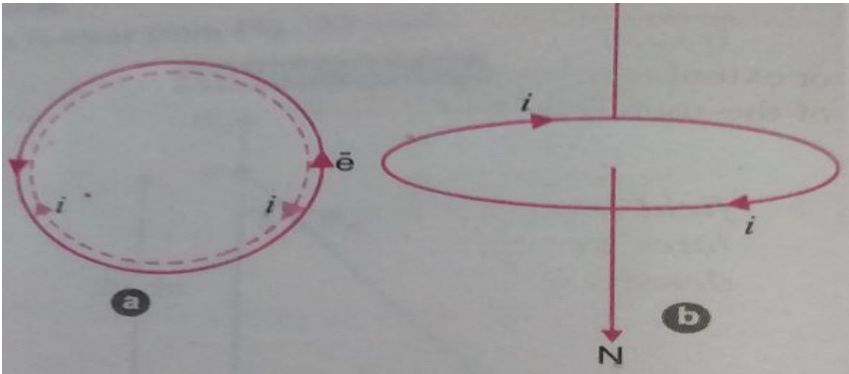
$$M = IA$$

$$B = \mu_0 M / 2\pi x^3$$

Magnetic dipole moment of an atom due to revolving electron (Bohr magnetron): A revolving electron is like a loop of current which has a definite magnetic dipole moment

As $i = e/T$

As $T = 2\pi/\omega$



As $i = \omega e / 2\pi$

$A = \pi r^2$

$M = iA = \omega e / 2\pi \times \pi r^2$

$M = e\omega r^2 / 2$ ----- (1)

According to Bohr theory , an electron in an atom can revolve only in certain stationary orbit in which angular momentum of electron is an integral multiple of $h/2\pi$

$mvr = n h/2\pi$

$m(r\omega)r = n h/2\pi$

$\omega r^2 = nh/2\pi m$ -----(2)

put such value in equation (1)

$M = enh/4\pi m = n \times (eh/4\pi m) = n (\mu_B)$

$\mu_B = eh/4\pi m = \text{Bohr magnetron} = 9.27 \times 10^{-24} \text{ampere metre}^2$

Bohr magnetron as the minimum dipole moment associated with an atom due to orbital motion of an electron in the first stationary orbit of the atom

Gyromagnetic ratio of electron = magnetic moment/ angular momentum = $e\omega r^2 / 2 / m r \omega$

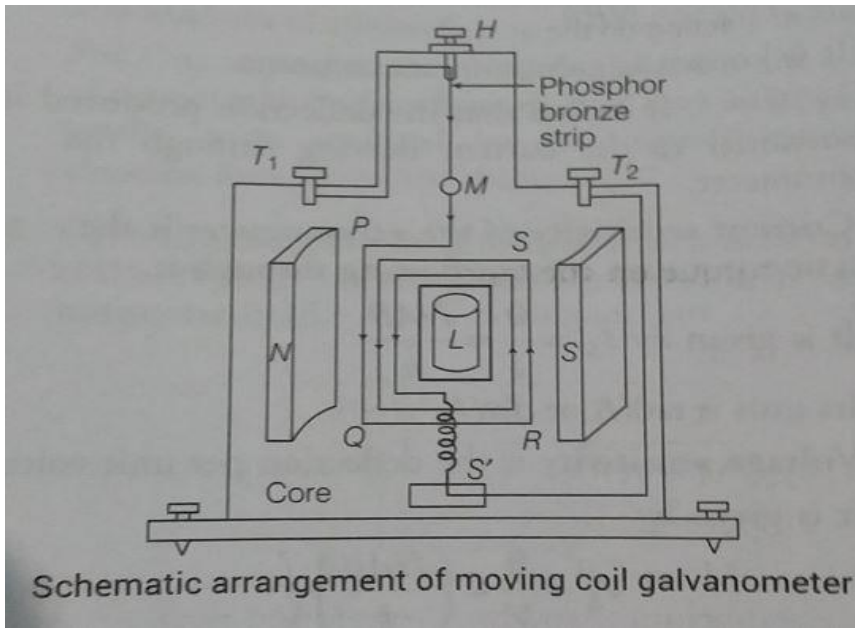
= $e/2m = 8.8 \times 10^{10} \text{C/kg}$

Moving coil galvanometer

Moving coil galvanometer is a device used for measuring the current in a circuit.

Principle: Moving coil galvanometer works on the principle that a current carrying coil placed in a magnetic field experiences a torque

Construction: It consists of a rectangular coil of a large number of turns of thin insulated copper wire wound over a light metallic frame. The coil is suspended between the pole pieces of a horse-shoe magnet by a fine phosphor bronze strip from a movable torsion head. The lower end of the coil is connected to a hair spring (HS) of phosphor bronze having only a few turns. The other end of the spring is connected to a binding screw. A soft iron cylinder is placed symmetrically inside the coil.



Theory and working : As the field is radial , the plane of the coil always remain parallel to the field B .
When the current flows through the coil ,a torque act on it

$m = \text{force} \times \text{perpendicular distance}$

$$= NibB \times a \sin 90^\circ = NIB (ab) = NIBA$$

The restoring torque is also set up

$$m_{\text{restoring}} = k\alpha$$

Restoring torque = deflecting torque

$$K\alpha = NIBA$$

$$\alpha = NIBA/K$$

$$\alpha = I/G$$

Where $G = K/NBA = \text{galvanometer constant or figure of merit}$

Sensitivity of a galvanometer: A galvanometer said to be sensitive if it shows large scale deflection even when a small current is passed through it or a small voltage is applied across it

Current sensitivity: The deflection produced in the galvanometer when a unit current flow through it

$$\text{Current sensitivity } I_s = \alpha/I = NBA/K$$

Voltage sensitivity: The deflection produced in the galvanometer when a unit P.D is applied across it.

$$\text{Voltage sensitivity } V_s = \alpha/V = NBA/KR$$